

# 1.3 Statics - Forces in Equilibrium

September 14, 2017 10:32 AM

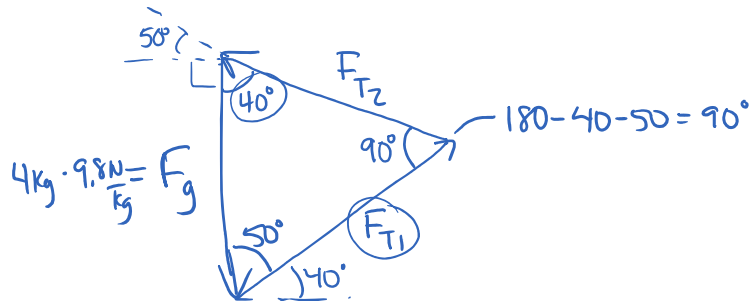
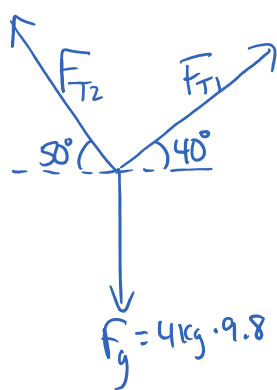
1<sup>st</sup> condition of static equilibrium:

- all forces must add to zero
- all components must add to zero

$$\sum \vec{F}_x = 0, \quad \sum \vec{F}_y = 0$$

sum of  
 $\sum \vec{F} = 0$

Example pg 25 - done the component way,  
but an easier way is to use equilibrium  $\Delta$ .



$$\frac{F_{T1}}{\sin 40^\circ} = \frac{4 \cdot 9.8}{\sin 90^\circ} \quad \left\{ \quad \frac{F_{T2}}{\sin 50^\circ} = \frac{(4 \cdot 9.8) N}{\sin 90^\circ} \right.$$

$$F_{T1} = \underline{25.2 N} \quad \left\{ \quad F_{T2} = \underline{30.0 N} \right.$$

Practice pg 26 #1-3

2<sup>nd</sup> condition for static equilibrium: "Rotational Equilibrium"

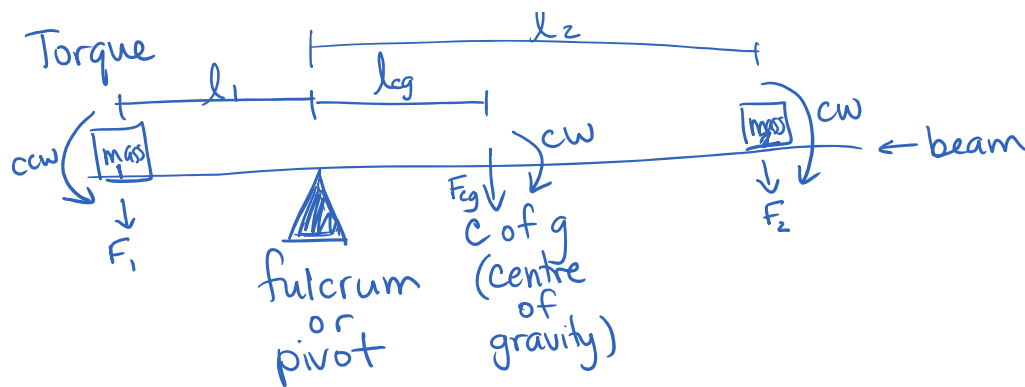
Force and  
length are  
always  $\perp$   
for  $\tau$

$$\tau = \vec{F}_\perp l = \vec{F} l \sin \theta \quad [N \cdot m]$$



we always for  $\tau$

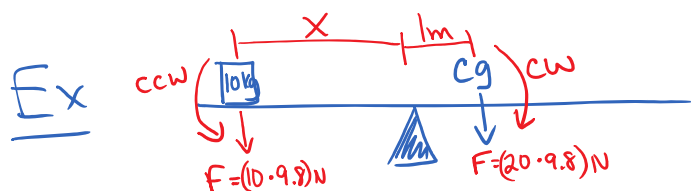
measure lengths from fulcrum



$$\sum \tau_{cw} = \sum \tau_{ccw}$$

← yield no rotation  
→ in equilibrium

$$F_{cg} \cdot l_{cg} + F_2 \cdot l_2 = F_1 \cdot l_1$$



- mass of a 10 m beam is 20kg
- How far is the 10kg mass from the pivot if pivot is 1m to left of the c of g?

$$\tau_{ccw} = \tau_{cw}$$

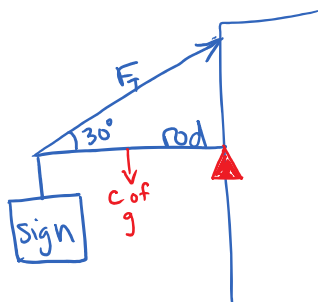
$$(10 \cdot 9.8 \text{ N})(x) = (20 \cdot 9.8 \text{ N})(1 \text{ m})$$

$$x = \underline{2 \text{ m}} \text{ to left of fulcrum}$$

pg 28 #1-2, try #3

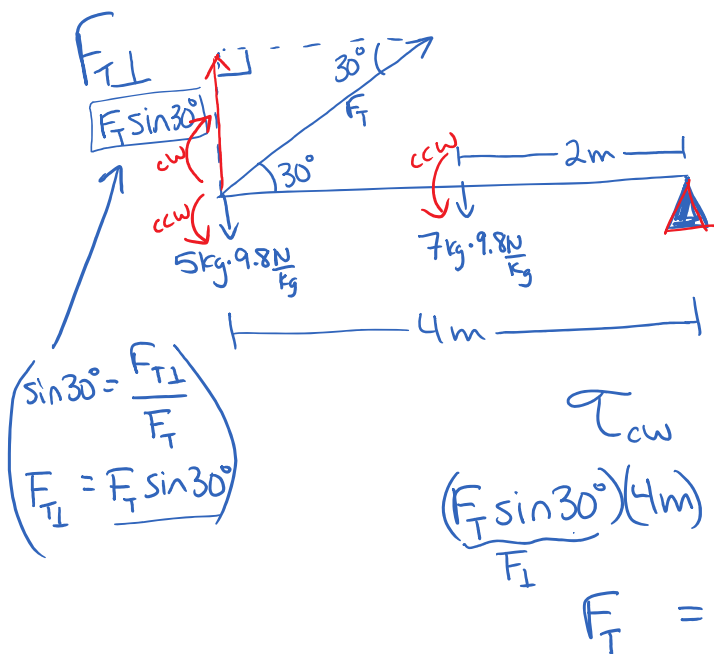
Example Torques with angles

Tension in rope = ?  
sign = 5 kg  
rod = 7 kg, 4 m



$$F_1 \quad \text{at } 70^\circ \rightarrow$$

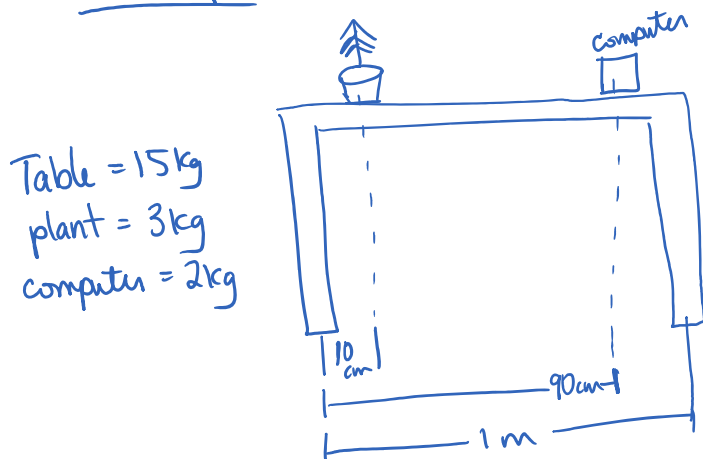
- ★ don't forget c of g
- ★ locate pivot at a convenient place
  - Where Force is indicated or being looked for
  - usually one end or the other



- usually one end or the other

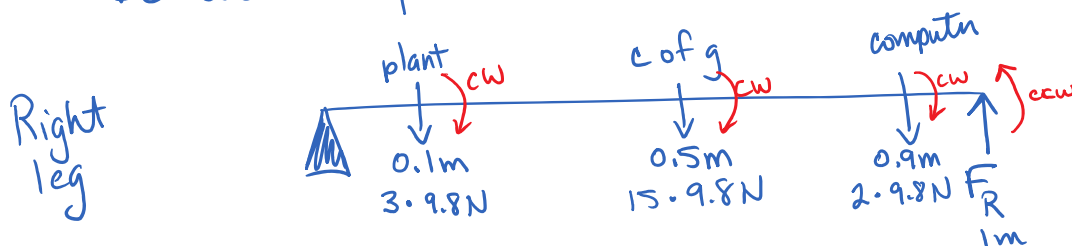
★ use the perpendicular component of force

Example: Table



What is the upward force exerted by each leg?

Do as 2 problems



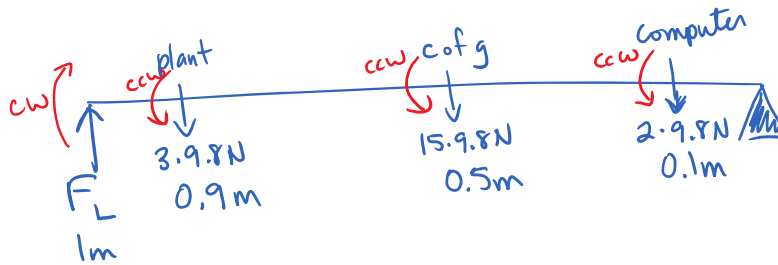
$$\tau_{cw} = \tau_{ccw}$$

$$(3 \cdot 9.8 \text{ N})(0.1 \text{ m}) + (15 \cdot 9.8 \text{ N})(0.5 \text{ m}) + (2 \cdot 9.8 \text{ N})(0.9 \text{ m}) = F_R (1 \text{ m})$$

plant                      table                      computer

$$F_R = 94 \text{ N}$$

Left  
leg



$$\tau_{cw} = \tau_{ccw}$$

$$F_L(1\text{m}) = (3.9.8)(0.9\text{m}) + (15.9.8)(0.5\text{m}) + (2.9.8\text{N})(0.1\text{m})$$

$$F_L = 102 \text{ N}$$

\* Slightly more support needed near heavier plant

\* Total weight of Table, plant and computer =  $(15+3+2)9.8 = \underline{\underline{196\text{N}}}$   
 = the total that the legs are supporting  
 $94 + 102 = \underline{\underline{196\text{N}}}$

1.3 Review pg 33 #1-5

Ch 1 Review pg 34 #1-19

↳ do at least to #10